

Q&A

Question: Can KSS calculate the Forward efficiency or Backward efficiency?

Forward/Backward efficiency is the ratio of Input and Output. In case of Ball Screws, it is defined as ratio of theoretical Torque and actual Torque.

$$\text{Forward efficiency : } \eta_p = (1 - \tan \beta \cdot \tan \rho_1) / (1 + \tan \rho_1 / \tan \beta) \times 100 (\%)$$

$$\text{Backward efficiency : } \eta_n = (1 - \tan \rho_2 / \tan \beta) / (1 + \tan \rho_2 \cdot \tan \beta)$$

$$\tan \rho_1 = \mu_1 / \cos \theta, \quad \tan \rho_2 = \mu_2 / \cos \theta$$

ρ_1 : Forward friction angle

ρ_2 : Backward friction angle

μ_1 : Forward friction coefficient (0.003 ~ 0.005)

μ_2 : Backward friction coefficient (0.005 ~ 0.010)

θ : Contact angle of Ball Screw groove (45°)

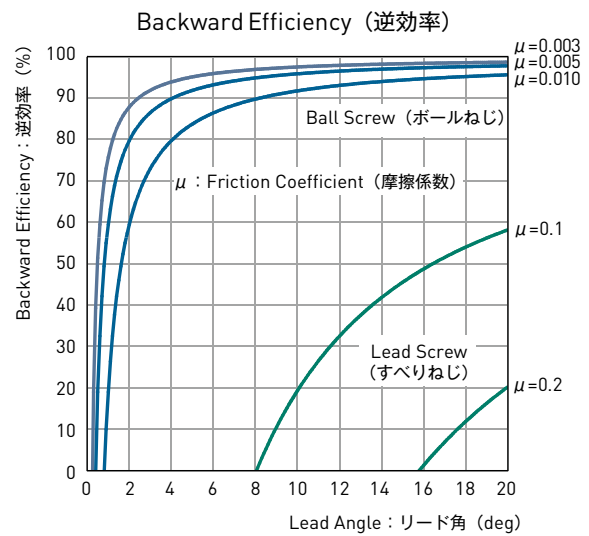
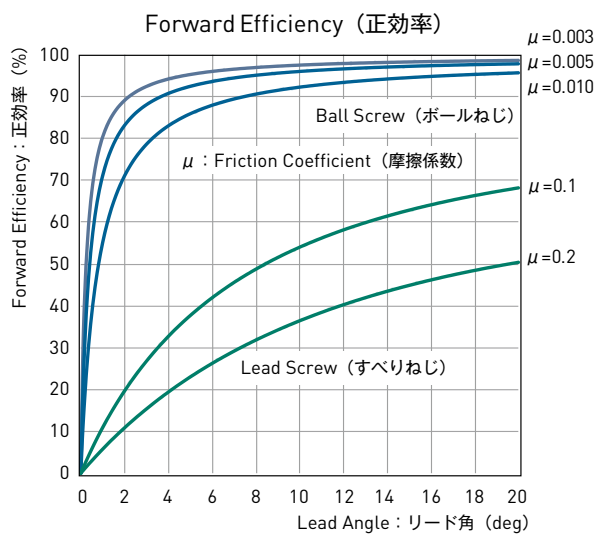
$$\tan \beta = \ell / (\pi \cdot \text{BCD})$$

β : Lead angle

ℓ : Lead (mm)

BCD : Ball center diameter (mm)

As you can see the formula above, Efficiency has much to do with Lead angle. Graphs below show the Forward/Backward Efficiency against Lead angle.



Forward/Backward Torque Forward/Backward resistance are calculated by following formula based on Forward/Backward Efficiency.

$$T_a = F_a \cdot \ell / (2 \pi \eta_p)$$

$$T_b = F_b \cdot \ell \cdot \eta_n / (2 \pi)$$

Therefore

$$\text{Forward resistance } F_a = (2 \pi \eta_p / \ell) \times T_a$$

$$\text{Backward resistance } F_b = 2 \pi / (\ell \cdot \eta_n) \times T_b$$

T_a : Forward Torque (Nm)

T_b : Backward Torque (Nm)

$F_{a,b}$: Axial load (N)Resistance

ℓ : Lead (mm)

η_p : Forward efficiency

η_n : Backward efficiency

It is clear that friction resistance of Ball Screw is extremely small!!!!